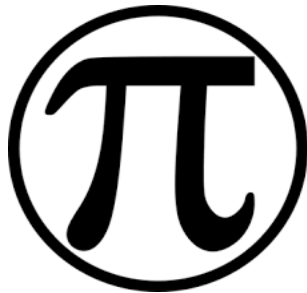


# A Simple Experiment Proves $\pi = 4$



For those of you who want to go right to it without reading anything, [here is the link](#) to the youtube video. It is only a few minutes long and contains no math. It is just two balls rolling through two tubes. It was made by one of my students Steven Oostdijk, who is Dutch. He lives in the Netherlands. In the first part of the video he is showing the viewers that he is not me. On Amazon.com and other places, he has been accused of being me. This is because he has defended my theories there and in other forums. As my readers know, I avoid forums, since I have a low tolerance for arguing with trolls. I have better things to do. But many of my readers have more patience than I do, and some of them like to defend me from these people—which of course is fine with me. Steven has been one of the most outspoken and longlasting of my defenders. He is also very good at it, since he is an engineer himself. Because of that, some have accused him of actually being me under another name. He isn't, and this video proves that, among other more important things.

The video came about in this way: another student of mine, Jeff Cosman—who has been to several of my conferences—devised a similar experiment using his children's toys. But since it was on wooden tracks and looked a bit naïve at a first glance, I didn't want to post a link to it. It would have been too easy to attack. So at my most recent conference this August, I suggested to my guys that they should recreate the experiment with more precise instruments. One of them had told me he had access to a machine shop and experiment lab, where things like this could be done at low or no cost. So he and a couple of the other guys got started on the project after conference. A couple of days later Steven emailed me and asked me how the conference went. I told him what I just told you, among other things, and he asked me if he could take a stab at it as well, also having access to materials in his own home. He said he thought he could get it done without leaving the garage. Which he pretty much did. He had to leave the garage to get better light, but other than that it was all done at home. As for the rest, he explains it in the video.

I have written [a series of papers](#) explaining why  $\pi=4$  whenever you have motion, but here I am going to boil it down to the basics, for those who don't know much math or don't want to get into it. It *can* get rather involved, and most people don't have the chops for it. Honestly, even professional mathematicians and physicists are having trouble following it, although it isn't that hard. It is hard only in that it goes against everything we have been taught, and the old dogs of physics and math don't want to learn any new tricks. So here I am going to assume you know absolutely nothing. I don't usually do that, so forgive me if I tell you things you already know.

People just coming here from my art site won't understand why anyone would question  $\pi$ . It seems not only very old and established, but very basic. Most people will laugh and say something like, “I

didn't know there was any problem to solve there". But there *are* problems and have been for a long time, and insiders know that. Both in rocket science and quantum mechanics, big problems have cropped up in the vicinity of  $\pi$ , although no one before me thought to question  $\pi$  itself. In the space program, the engineers began seeing real-life failures of the equations from the beginning. In the late 1950s, the American program headed by Werner von Braun began admitting major equation failures. Rockets simply weren't where they were supposed to be, but *only when* curved trajectories were involved. The first rockets to orbit the earth were late by huge amounts, indicating the equations were wrong by something over 20%. The Russians found the same problem. In press releases, they indicated—and still indicate—the problem was with the propellants, but behind the scenes they pursued other possibilities. Just as they assign equation failures now to dark matter, in the 1960s they asked themselves if this rocket problem was caused by unknown ethers or forces of nature. As far as I know, they still haven't solved it. It never occurred to them that  $\pi$  might be the problem. As it turns out, the failures in the rocket equations are exactly the same size as the gap between  $\pi$  and 4.

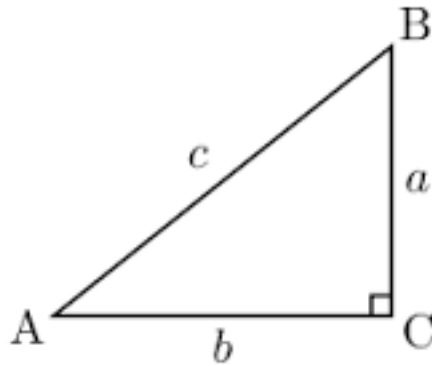
A similar problem arose in quantum mechanics. Since quantum particles often move in orbits or curved trajectories, the same sort of equation failures occurred there. The mainstream admits it has to ditch classical geometry and resort to what is called the Manhattan metric to solve some quantum problems. This is curious since in the Manhattan metric,  $\pi=4$ .

Some have taken exception to my way of stating that. They say that  $\pi$  is 3.14... and can't also be 4. They say I should come up with another Greek letter, at the least. But  $\pi$  isn't defined as 3.14.  $\pi$  is defined as the ratio of the circumference and the diameter. I have proved that when motion is involved, that ratio is 4. Therefore, it is correct to say that  $\pi=4$ .

Others have said that even if I am right, it is just a quibble, since in most cases  $\pi$  will still be 3.14. But that simply isn't true. In physics—and therefore in the real-world—almost all uses of  $\pi$  include motion. When  $\pi$  is used in physical equations, 99% of the time those equations include a velocity of some sort. Which is why I provocatively titled my original paper “The Extinction of Pi.” In a few years, the number 3.14... will be a virtual relic. It will also be a joke, since it will be a reminder of how wrong mainstream physics can be.

But most will probably still not understand *why* it is true, even after watching a video that shows it. Steven glosses it in the video, but most viewers won't find that helpful, I know. It doesn't seem right that just turning a tube into a circle would make it longer. It looks at first like when you lay the tube out straight, it is  $\pi$  diameters long, but when you curve it into a circle, it magically becomes 21% longer. Well, it doesn't really become longer, and we know that since we can straighten it back out and it is still  $\pi$  diameters long. But something about curving it changes it. It doesn't change the length, *it changes the distance that has to be traveled*. The distance traveled in the curve can't be measured by just measuring the straight length. When measuring the distance traveled along a straight line, you *can* just use the length. The length tells you the distance traveled. But with a curve, that is no longer true. Again, *why*?

I am going to try to explain it in the simplest possible way. To move in a curve, you have to combine two motions. You have to move forward and sideways at the same time, right? So let's start with a right triangle.



Let us say points A and B are on a circle, and you wish to travel from A to B. It seems like the simplest thing to do would be to take the path  $c$ , since it is the most direct. You just cut straight across on the hypotenuse. In fact, that is what the ancient Greeks assumed, and their original assumption has skewed this problem ever since. It is still the assumption today. Mainstream physicists and mathematicians still assume the circle is composed of a lot of little  $c$ -paths. They make the  $c$ -paths very tiny and then sum them, giving them the circumference of the circle. But what I have shown is that they have cheated. You can't take the path  $c$ , because it doesn't correctly represent the forward motion and the sideways motion we just talked about. Obviously, the path  $a$  represents the forward motion and the path  $b$  represents the sideways motion. Therefore, no matter how tiny you make that triangle, you have to keep the  $a$  and  $b$  paths.

You will say, "C'mon, that can't be right! I can draw that triangle on the ground, and I can always walk that  $c$ -path. There is nothing stopping me." True, but if you are walking that  $c$ -path, you aren't walking a curve, are you? You are walking a straight line. And if you combine a lot of those  $c$ -paths to try to create a circle, you aren't really creating a circle. You are creating a polygon. Even if you make your circle out of thousands of those  $c$ -paths, in each little triangle you are still cutting the corner. If you cut the corner, you aren't representing forward motion and sideways motion at the same time in your fake circle. So it isn't really a circle. **You are not creating real circular motion.**

You will say, "Even so, if I make those  $c$ -paths tiny enough, I will still get the right number for the circumference of the circle. Everyone knows that." In this case, what everyone "knows" is wrong. In fact, if you cut all the corners in each little triangle, you end up getting a number for the circumference that is *way* too small. It is 21% too small, which is a lot. It isn't a marginal error, it is huge miss.

You may still not understand, and in my other papers I explain it at much greater lengths, doing more math. But if you haven't followed me here, you probably won't follow me there. However, if you ask why the ball in the circular tube is taking so long to get around, the simplest answer is because it isn't cutting the corners. It isn't taking the  $c$ -paths. It is taking the  $a$  and  $b$  paths.

[See addendum below for link to an animation that shows how the curved path is created with perpendicular straight paths.]

If you have any friends who are mathematicians, they will tell you you have to know calculus to understand this, but that is just a dodge. I just told you why it is true, without calculus. However, I will tell you what they will say. They will say that when you **integrate** the  $a$  and  $b$ -paths, you get the  $c$ -path. Integration is a calculus move. It is true that integration is involved here, but if you integrate correctly, you *don't* get the  $c$ -path. The calculus they currently apply to this problem is right, but it is

wrongly applied. I may be able to make you understand why it is wrongly applied, even without teaching you calculus.

The diagram of the triangle above is a simplification of the problem. It is a simplification because it doesn't include time. It is geometric only. So although it is correct as far as it goes, it doesn't really tell you the whole story. It helps you understand that the ball can't take the  $c$ -path, but it doesn't really tell you exactly how the ball combines the two motions into the curve.

What you have just discovered is that the ball **doesn't** combine the  $a$  and  $b$ -paths. In other words, it doesn't **integrate** them, in some magical calculus way. No matter how small you go or how many little triangles you have on your circle, the  $a$  and  $b$ -paths remain distinct and at right angles to one another. They never combine into a  $c$ -path. So why do we need calculus at all, you will ask? Because, to solve this with math, we have to integrate both  $a$  and  $b$  with time  $t$ . In other words, we don't integrate  $a$  with  $b$ , we integrate  $a$  with time  $t$  and  $b$  with the same time  $t$ . If you don't like the word integrate—because it is a calculus term—I can say it this way: we have to **track** how  $a$  changes with time and the way  $b$  changes with time. That's how we include time in the problem.

Currently, when physicists or mathematicians try to solve this problem with calculus, they basically leave time out of it and track  $a$  against  $b$ . They integrate motion  $a$  with motion  $b$  to get motion  $c$ , which is the  $c$ -path. But although the calculus they use to solve the problem is correct in itself, they are *applying* it wrongly. Since all physics is applied math, you have to apply the math correctly. If you apply the right math incorrectly, you will get the wrong answer.

This is why in my other papers I have offered the cycloid math as the solution here. A cycloid is a rolling circle. The reason the cycloid math helps is that it explicitly includes the time variable. It integrates **three** variables,  $a$ ,  $b$ , and  $t$ . Beyond that, the cycloid math *applies* the variables to the problem in the right way, so all we have to do is take the cycloid math and apply it to the distance around the circle. It solves this problem perfectly, giving us the right answer: the circumference of the circle is  $8r$ .

But why would the cycloid math work here? Because if you are moving around a circle, it is like you are moving around a circle that is rolling in place. In other words, it is like taking a rolling wheel, but not letting it move forward. It is just spinning in place. You then position yourself at some point on the rim of the wheel. As it moves around, so do you. You are then in circular motion. **That is what the current cycloid math actually represents.**

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I predict the main response to the video will be that the ball in the curve is feeling more friction. However, it is clear at a glance this is not the case. To start with, the ball in the curve would have to be feeling over 20% more friction than the straight ball. Again, the difference between 3.14 and 4 is not marginal. It is huge. There is no way to account for a difference that large with a difference in friction. Plus, if friction were the cause, the ball in the curve should be slowing down as it progresses around the curve. Friction is of course cumulative, so we would expect a ball feeling an excess 21% of friction to be going slower in the fourth quadrant of the circle than in the first. But we see with our own eyes that isn't true. Steven marks all four quarter points in the circle, and the ball hits them all perfectly in sync with the straight ball. If the ball in the curve were feeling more friction, we would expect it to hit the  $\frac{3}{4}$  mark and final mark noticeably late compared to the  $\frac{1}{4}$  mark. It doesn't. This indicates very strongly

that neither friction nor any other *cumulative* effect in the curve is causing the difference. The ball in the curve is NOT slowing relative to the straight ball. This should look as curious to you as  $\pi$  being 4. Given current theory, it is just as mysterious.

Also consider this. If you are arguing there is more friction in the circle because the tube is curved, ask yourself this: What are the odds that the extra friction in the circle would be *exactly* the amount to fill the difference between  $\pi$  and 4? Steven finds that when the ball is at the end of the circle, the straight ball is exactly at 4. The circle ball also hits the other quarter points like clockwork. Do you really think the curved tube is going to just miraculously provide the precise amount of friction to cause a match at 4, and seem to prove my assertion? That would be even more unlikely than the experiment itself. Steven would have to be some sort of magician or experimental genius to choose a plastic tube from the hardware store that had just the right properties, so that when curved it had exactly 21% more friction than when not curved, filling the gap between  $\pi$  and 4. And, since he provides two experiments with two different kinds of tubing, he would have to do that twice, just lucking upon two different hardware store tubes that both magically provided this 21% differential in friction.

Plus, Steven's video of the larger experiment actually shows you the real size of the friction differential here. You can see the ball in the curve arriving a bit too late, but it is late by about 2%, not 21%. That is caused by the slower ball, the longer time in the curve, and the larger tube diameter—which allows for more sideways drift of the ball up the wall. That friction and drift differential also occurs in the smaller experiment, but because the ball gets through the circle so fast, with so little wall climb, it is almost negligible. Also, notice the 2% differential is 2% above 4, not 2% above 3.14. This is more confirmation of my theory, since if friction were the cause of the entire differential, we would have not a 21% differential to explain in the large experiment, but a 23% differential. So trying to explain this with friction alone makes the problem worse.

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That said, most people will still not understand how I thought to question such a thing. I am not a famous quantum physicist or NASA scientist. Plus, I admit I didn't even know about those rocket and quantum problems when I solved this. I only found them as confirmation after the fact. I didn't know about Werner von Braun's equation problems until after writing my  $\pi$  papers. I didn't know about the Manhattan metric until four years after I wrote the original paper on  $\pi$ . I didn't even link this to the cycloid math—where  $\pi$  is also 4—until several years later. So how did I manage to solve a problem I didn't even know existed?

Well, I came at it kind of sideways, since I was solving related problems. It wasn't *known* the problems were related until I showed it, but they are. [I was working on Newton's orbital equations](#), which I saw as having some disclarities. To say it another way, they didn't make sense to me. I thought his proofs contained some big holes, and the more recent updates of these proofs by famous guys like Richard Feynman seemed to me no better. In fact, I showed they were worse.

Since an orbit is just motion in a circle, I think you can see the link. So I started over from the beginning, rerunning Newton's equations with a few corrections. These corrections solved many problems, but not all of them. It wasn't until a couple of years later that I thought to look at  $\pi$  itself. My corrections to the orbital equations suggested that  $\pi$  simply couldn't be right. I found that the old orbital equations—including Newton's—were naively based on Euclid's geometry, which didn't include time. The geometry you learn in school doesn't include any velocities. It only includes lengths. If you

calculate  $\pi$  in geometry—with no time and no velocities—you do indeed get the number 3.14... But in physics that math isn't useful. In physics you almost always have a motion you are tracking, so time is involved. You have to replace every length with a velocity. And if you do that, you can't use Euclid's geometry. It doesn't have enough variables. You are always a variable short.

This means that the old orbital math was always a variable short. It was incomplete. It didn't include time. Because it didn't include time, it couldn't represent the real world. It could only work in a book problem, where everything was happening at some imaginary instant. This ended up making all the math explode. In quantum mechanics there is a thing called *renormalization*. It is what they have to do to equations that have exploded. Basically, when you try to solve real-life problems with equations that don't properly include the time variable, your equations start spitting out zeroes and infinities. In quantum mechanics, this happens to all their equations, and they admit that. They admit it, but don't understand why.

In other words, they are trying to solve kinematic problems with geometry. It would be like trying to paint with a pencil. You can't paint with a pencil, because you don't have any color. Likewise, you can't solve physics problems with geometry, because you don't have time. They try to stir time back into the equations at the end, but it has never worked.

They offer million dollar prizes (see Claymath) to anyone who can solve these problems. . . except me. What they want is a big impressive looking solution: you know, one of those solutions that fills the blackboard with funny squiggles. They don't want to be told that they have the wrong number for  $\pi$ , or that Newton made a simple mistake, or anything like that. That is just embarrassing. And they especially don't want to hear it from me. They want one of their gold-plated colleagues—one of the guys in a chair at Oxford or something—to solve it.

You will say, “Well, why don't they just install you in some chair like that? Then they can save face”. They had their chances to do that, but they chose not to. They could have brought me into the fold and been nice, but they chose to try to bury me. About 17 years ago, I began sending my papers to mainstream sources, trying to play by the rules. But they decided to be nasty, not just refusing the papers, but implying I was some sort of idiot for disagreeing with them. And when I began self-publishing on the web a few years later, they got really nasty. They hired a bunch of trolls to slander me all over the web, stopping at nothing. Rather than respond rationally or scientifically to my ideas, they instead attacked me personally, often with outright lies. They hired people to review my books who hadn't read them. They attacked my hair. They attacked my paintings. They attacked my poetry. They attacked me for having taken ballet in college.

They are still doing it, and they often lead with my  $\pi$  papers. Often, when they need a kneejerk response to me, they dismiss me as “the guy who thinks  $\pi=4$ ”. But rather than back down, I have embraced that, and you are now seeing why I always embraced it. I WANTED TO BE KNOWN AS THAT GUY. Because now, as it is becoming clear I was right, it is going to be very hard for them to steal the idea from me. I still suspect they will try to steal it, but a lot of people are going to go, “Hey, wait a minute, isn't that what that 'crank' Miles Mathis was telling us a few years ago? And now you guys are trying to steal it?”

That is what it means when you are told that all publicity is good publicity. All the controversy just means people know who I am. It is harder to steal from a known entity. Since no one else was “rash” enough to claim  $\pi=4$ , I am the only  $\pi=4$  guy. So when it is generally admitted that  $\pi=4$ , I am the only guy who can be linked to that, you see? Except that I don't just laugh last, I have been laughing

all along.

Now, after you watch the video several times, ask yourself this: how is it that this is the first time you are seeing this? This is a very simple experiment, right?  $\pi$  has been around for what, 5000 years, and no one ever thought to check it in this way? They now spend billions of dollars searching for dark matter and gravitons and so on, but no one ever thought to do a simple experiment to see if  $\pi$  was right? This just confirms what I have said many times before: mainstream physics is now about milking money from the treasury, and real physics just isn't expensive enough. Basic experiments aren't run because it doesn't *pay* to run them. You can run this experiment yourself for under \$100, so big physics departments and institutions aren't interested in it. It won't pay anyone's salary. It also doesn't pay because the result destroys decades and centuries of mainstream physics. Put simply, it is bad for business, or is thought to be. It blows a big hole in the physics story you are told, in which mainstream physicists are geniuses saving the world. No, seriously, [they actually say that](#) about themselves in mainstream publications. This is what leads you to support all their billion-dollar projects. But once you see they don't even understand circular motion or calculus, all that evaporates. You realize they are just as incompetent as the guy working on your car or installing your new hot tub—actually a lot moreso—and far more arrogant.

Real physics can be good business but those at the top of the field now don't see that. They have created a paradigm that works for them and they naturally wish to stick with it. That paradigm consists of selling huge fake projects and doing no real physics. Exchanging their fake physics for real physics will require a complete overhaul of the field and they have no desire to see that happen. This is also understandable, since it entails them being tossed out on their asses. These problems I have solved aren't the end of physics, or even mainstream physics, but they *are* the end of some people's careers, and they recognize that. All the top dogs are going to go down in flames, and good riddance. The problem is, they are hoping to ride it out. They hope that by stalling as long as possible, they can retire or die before the revolution hits, saving them from the retribution they have so justly earned. Supposing their ghosts aren't forced to watch the revolution anyway, that may work for them to a small degree. But mostly it will fail, because my students and I will make sure their deeds are known regardless. After the revolution, there will be no one to whitewash them.

That is another thing these people don't understand about life: just as it is impossible to cut corners in the circle, it is impossible to dodge responsibility for your actions. Not even death will save them. Some call it judgment, some call it karma, but one thing is certain: the past has a way of making itself known to the present, since it is embedded in the present. The truth will out. Sometimes it takes centuries, but the truth is eventually discovered. Once it is, the future utterly overwhelms the past.

To take an example from the past century, Niels Bohr has been famous for about 90 years. But after the revolution, he will be *infamous* for millennia. He chose his side, and so must you. I did.

The top dogs can still switch sides. It is never too late. They can save their own eternal reputations to a large degree by apologizing and coming clean today. It can happen, and *has* happened a few times in history. You sometimes witness an 11<sup>th</sup> hour move from the dark side to the light, and the saving of a soul. Like anything else, karma can be cleansed.

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**Addendum, October 4, 2016:** I wanted to post a link to a CalTech video which supports my triangle

interpretation above, but found it has been deleted all over the web. In my paper on the [Manhattan Metric from 2012](#), I said this:

For further proof, I recommend you study [this animation](#) sent to me by a reader John McVay. He developed this from a similar animation he saw in an old 1986 *Mechanical Universe* segment on PBS. You can see this segment—originally produced by Caltech—at [Annenberg Learner](#). Go to minute 11:15 of episode 9 to see the fuller animation. In both the Caltech and McVay animations, we see how the circle is produced straight from orthogonal vectors. In the Caltech animation, it is clear that no diagonal is ever produced: the motion is a simple addition of  $x$  and  $y$ . Neither  $x$  nor  $y$  ever move on an hypotenuse ( $c$ -path), therefore the combined motion cannot do so, either. This animation is just a speeded-up step method, and therefore  $pi$  would equal four here.

[I previously had [a youtube link](#) posted of this Mechanical Universe segment. Within a few weeks of my link, the youtube videos were removed by the poster. Here we see more obstruction of science by the mainstream. Rather than allow an alternate interpretation of data, they prefer to remove the data. Or, they post the data *only* as long as it only sells their own interpretation. If anyone discovers a better interpretation—one that undercuts the original propaganda—they have to remove the data. That is perfect anti-science. The scientific method would be either to counter the new interpretation, showing how it is wrong; or to allow both interpretations to stand, letting the readers decide which was stronger. But that isn't the method of the mainstream, and hasn't been for decades. They hide all negative data, and when any of their old “positive” data or demonstrations are questioned, they simply remove them from sight as well. That is a pseudo-science grounded in authority, censorship, obstruction, and misdirection. These people prove my point with everything they do. The subtitle of the series was originally “Mechanical Universe: Expand your Mind”. I guess they will have to change that to “Mechanical Universe: Deleted to Suppress Your Mind”.

**Addendum October 2016:** they have now removed the video from Annenberg Learner as well. They should change the name of the site to Annenberg Anti-Science. I checked youtube to see if someone had reposted it there, but CalTech has actually deleted almost *all* its Mechanical Universe videos. As you see [here](#), you can still subscribe to this old series, but once you get in, almost all the videos have been deleted. Man, have I got these people on the run!]

You can still take the link to McVay's video above.

**Breaking News:** a reader found a copy of the [Mechanical Universe video](#) on DailyMotion.com. Also [it just went back up at youtube](#), by a different poster. Watch it while it is up! And please, anyone who has the technology, download it. I used to be able to do it on my old computer, but not on this one. It is sure to be deleted again.

**October 9, 2016:** the youtube repost lasted 2 days after I posted my link. It has been removed due to a copyright claim by “Intelcom Intelligent Communications”. Someone *really* doesn't want you to see that video. You may want to ask yourself why mainstream science is trying so hard to suppress one of *its own* educational videos. Before I came along, these videos were up on youtube for years.

**November 8, 2016:** I have had one of my online buddies create a gif for me that matches part of the video they are suppressing. I have never imported a gif into a paper before, so hopefully this will work, including the motion. See below.



